

University School of Automation and Robotics GURU GOBIND SINGH INDRAPRASTHA UNIVERSITY East Delhi Campus, Surajmal Vihar Delhi - 110092



BS-109 Engineering chemistry-I

Unit-1

Karan Chaudhary





Fajans' rule: Fajans' rule predicts whether a chemical bond will be covalent or ionic. A few ionic bonds have partial covalent characteristics which were first discussed by **Kazimierz Fajans** in **1923**.

The rule can be stated on the basis of 3 factors, which are:

- **1. Size of the ion:** Smaller the size of cation, the larger the size of the anion, greater is the covalent character of the ionic bond.
- 2. The charge of Cation: Greater the charge of cation, greater is the covalent character of the ionic bond.
- **3. Electronic configuration:** For cations with same charge and size, the one, with (n-1)dⁿ ns^o which is found in transition elements have greater covalent character than the cation with ns² np⁶ electronic configuration, which is commonly found in alkali or alkaline earth metals.

Fajans' Rule can be summarized as:

Ionic Characteristic	Covalent Characteristic
Large Cation	Small Cation
Small Anion	Large Anion
Small-charge	Large Charge





Consider Aluminium Iodide (AlI₃)

The iodine being bigger has a lesser effective nuclear charge. Thus, the bonding electrons are attracted lesser towards the Iodine nucleus.

On the contrary, the aluminium having three positive charges attracts the shared pair of electrons towards itself.

This leads to insufficient charge separation for it to be ionic and so it results in the development of covalent character in AlI_3 .

Consider Aluminium Fluoride (AlF₃)

Here the fluorine being smaller attracts the shared pair of an electron more towards itself and so there is sufficient charge separation to make it ionic.





• Which compound should theoretically the most ionic and the most covalent amongst the metal halides?

The smallest metal ion and the largest anion should technically be the most covalent. Therefore, LiI is the most covalent.

The largest cation and the smallest anion should be the most ionic. Therefore, CsF should be the most ionic.

- Arrange the following according to the increasing order of covalency:
- 1. NaF, NaCl, NaBr, NaI
- 2. LiF, NaF,KF,RbF,CsF

1. Since the cation is the same, compare the anions. Amongst the anions, larger the size more would be the covalency. Therefore the order is: NaF < NaCl < NaBr < NaI

2. Here the anion is the same, so we compare with cations. Smaller the cation more is the covalency. Therefore, the order is: CsF < RbF < KF < NaF < LiF





Calculation of ionic stadii : Pauling's method
→ Pauling has calculated the stadii of the ions on the basis of the observed internuclease distances in force ouptals namely. NaF, KCl, RbBs and CsI.
→ In each ionic oupstal the cations and anions are isoelutsconic with invit gas configuration.
NaF enertal: Na⁺ → 2, 8 7 Ne type configuration

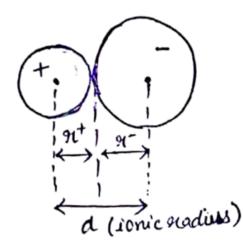
NaF ougstal: Na⁺ $\rightarrow 2, 8$] Ne type configuration $F^- \rightarrow 2, 8$] Z = 10(2, 8)

KCL cuystal:
$$K^+ \rightarrow 2, 8, 8$$
 [As type configuration
 $CL \rightarrow 2, 8, 8$] $Z = 18(2, 8, 8)$





-) Now, the rations and anions of an ionic crystal are assumed to be in rontact with each other and sum of their radii will be equal to the internuclear distance between them.



where, equation is

 $\mathfrak{H}(c^{+}) + \mathfrak{H}(A^{-}) = d(c^{+} - A^{-}) - (1)$

$$\mathfrak{R}(C^{\dagger}) = \operatorname{radius} \operatorname{of} \operatorname{cation}$$

 $\mathfrak{R}(A^{-}) = \operatorname{radius} \operatorname{of} \operatorname{anion}$
 $\operatorname{d}(C^{\dagger}-A^{-}) = \operatorname{inter} \operatorname{nucleasedistance}$
between C⁺ and A⁻in
ionic ougstal.



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(2) Now, for a noble gas configuration,
the machines of an ion is inversity propositional to its effective nuclear charge.

$$\mathfrak{R}(C^+) \propto \frac{1}{Z_{eff}(C^+)} \qquad (\omega)$$

 $\mathfrak{R}(A^-) \propto \frac{1}{Z_{off}(A^-)} \qquad (\omega)$
On combining eq (2) and (3)
 $\frac{\mathfrak{R}(C^+)}{\mathfrak{R}(A^-)} = \frac{Z_{eff}(A^-)}{Z_{eff}(C^+)} \qquad (4)$

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So, from eq.(1) and(4), we can evaluate the values of
$$\mathfrak{gl}(C^{+})$$
 and $\mathfrak{gl}(A^{-})$
previded the value of $d(C^{+}-A^{-})$, $Z_{\mathfrak{gl}}(C^{+})$ and $Z_{\mathfrak{gl}}(A^{-})$ are known.
 $\mathfrak{gl}(C^{+}) + \mathfrak{gl}(A^{-}) = d(C^{+}-A^{-}) - O$
 $\frac{\mathfrak{gl}(C^{+})}{\mathfrak{gl}(A^{-})} = \frac{Z_{\mathfrak{gl}}(A^{-})}{Z_{\mathfrak{gl}}(C^{+})} - (4)$
More your statest Rule, we can calculate $Z_{\mathfrak{gl}}$:
 $Z_{\mathfrak{gl}} = Z - O$ ($\sigma = koleening constant$)
 $\overline{\sigma} = \left\{ 0.35 \times [number of sumaring] + \left\{ 0.85 \times [number of elubres] + \left\{ 1.00 \times [number of] \\ elubres in (n-1)^{th} shull \right\} + \left\{ 1.00 \times [number of] \\ number in (n-1)^{th} shull \right\}$

$$\Rightarrow litts calculate Zeff for Katom and K^{+}im.$$
(i) for Katom = At NO·19 $\Rightarrow E:C = \frac{12}{2} \frac{25^{2} 2p^{6}}{8} \frac{35^{2}}{2} \frac{3p^{6}}{9} \frac{4s^{1}}{1}$
(calculated for $5 = 0.35 \times (0) + 0.85 \times (0) + 1.00 \times (10) = 16.80$
(calculated for $4se^{-}$)
$$Zeff = Z - 6 = 14 - 16.80 = 20$$
(ii) for K^{+}ion $\Rightarrow (10) \Rightarrow E:C \Rightarrow \frac{15^{2}}{2} \frac{25^{2}}{9} \frac{2p^{6}}{9} \frac{35^{2}}{8} \frac{3p^{6}}{8}$
(calculated $5 = 0.35 \times (7) + 0.85 \times (8) + 1.00 \times (2)$
 $fr^{5} 3pe^{-}$) $= 11.25$

$$Zeff = 19 - 11.25 = 7.75$$

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Quee - Latentate the zonic south of K⁴ and ct some in KCC coupted.
The internation distance setwaren K⁴ and ct some are found to be 3.14%
Automation distance setwaren K⁴ and ct, on and found to be 3.14%
Automatican distance setwaren K⁴ and ct,
on Activity we get
Zeff (K⁺) = 7:75
For(ct⁻¹)
162 262 296 31² 396
Zeff = 17 - [0.35(7) + 0.65(8) + 1.00(2)] = 17-11.25
= 5:75.
MUNG eq(u)

$$\frac{2((K+)}{2(ct^{-})} = \frac{Zeff(ct^{-})}{Zeff((K+)} = \frac{5:75}{3:75} = 0.744$$

 $ge(K+) = 0.744$ $ge(ct^{-})$
 $uurg eq(u)$
 $\frac{10000}{2(ct^{-})} = \frac{2(1000}{2(ct^{-})} = \frac{2.14\%}{3:75}$
 $fort qe(t)$
 $ge(K+) = 0.744\%(ct^{-}) = 3.14\%$
 $ge(Ct^{-}) = 1.68\%$
Ao, $ge(K+) = 0.744\%(1.0005) = 1.33\%$
For predicts
 $fort get the ionic starting eq Nat and F store are found to be 8.31\%.$
 $[+tint: get(Nat) = 0.945 get(F-) = 1.36]$